



Fourier Coefficients of A Class of Eta Quotients of Weight 6

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Author's contribution

The sole author designed, analyzed and interpreted and prepared the manuscript.

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Abstract

Recently, Williams expressed all coefficients of one hundred and twenty-six eta quotients in terms of $\sigma(n)$, $\sigma(\frac{n}{2})$, $\sigma(\frac{n}{3})$ and $\sigma(\frac{n}{6})$, and Yao, Xia and Jin, expressed only even coefficients of one hundred and four eta quotients in terms of $\sigma_3(n)$, $\sigma_3(\frac{n}{2})$, $\sigma_3(\frac{n}{3})$ and $\sigma_3(\frac{n}{6})$. The Fourier series expansions of a class of eta quotients in terms of $\sigma_{k-1}(n)$, $\sigma_{k-1}(\frac{n}{2})$, $\sigma_{k-1}(\frac{n}{3})$ and $\sigma_{k-1}(\frac{n}{6})$ for $k = 6, 8, 10, 12, 14, 16, 18, 20, 22, 24$ have been expressed by the author. The Fourier series expansions of a class of eta quotients in $M_2(\Gamma_0, \chi)$ in terms of $\sigma(n)$, $\sigma(\frac{n}{2})$, $\sigma(\frac{n}{3})$ and $\sigma(\frac{n}{6})$ has been found by Alaca and the Fourier series expansions of a class of eta quotients in $M_4(\Gamma_0, \chi)$ in terms of $\sigma_3(n)$, $\sigma_3(\frac{n}{2})$, $\sigma_3(\frac{n}{3})$ and $\sigma_3(\frac{n}{6})$ has been determined by the author. Here, we will determine the coefficients of the Fourier series expansions of a class of eta quotients in $M_6(\Gamma_0, \chi)$ in terms of $\sigma_5(n)$, $\sigma_5(\frac{n}{2})$, $\sigma_5(\frac{n}{3})$, $\sigma_5(\frac{n}{6})$ and Fourier coefficients of the eight eta quotients.

Keywords: Fourier series; Dedekind eta function; Eta quotients.

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1 Introduction

The divisor function $\sigma_i(n)$ is defined for a positive integer i by

$$\begin{aligned} \sigma_i(n) & : = \sum_{d \text{ positive integer}, d|n} d^i, \text{ if } n \text{ is a positive integer, and} \\ \sigma_i(n) & : = 0, \text{ if } n \text{ is not a positive integer.} \end{aligned}$$

The Dedekind eta function is defined by

$$\eta(z) := q^{1/24} \prod_{n=1}^{\infty} (1 - q^n),$$

where

$$q := e^{2\pi iz}, z \in H = \{x + iy : y > 0\},$$

and an eta quotient of level n is defined by

$$f(z) := \prod_{m|n} \eta(mz)^{a_m}, n, m \in \mathbb{N}, a_m \in \mathbb{Z}.$$

Since the eta quotients play important role in modular forms, explicit formulas for the Fourier coefficients of eta quotients have been investigated by many mathematicians. The book of Köhler [1] (Chapter 3, pg.39) describes such expansions by means of Hecke Theta series, and it develops algorithms for the determination of suitable eta quotients. One can find more information in [2], [3], [4], [5], [6] and [7]. The author has also determined the Fourier coefficients of the theta series associated with some quadratic forms, see [8], [9], [10], [11], [12] and [13].

Recently, Williams, see [14] discovered explicit formulas for the coefficients of Fourier series expansions of a class of one hundred and twenty-six eta quotients in terms of $\sigma(n), \sigma(\frac{n}{2}), \sigma(\frac{n}{3})$ and $\sigma(\frac{n}{6})$. One example is as follows:

$$\frac{\eta^2(2z)\eta^4(4z)\eta^6(6z)}{\eta^2(z)\eta^2(3z)\eta^4(12z)} = 1 + \sum_{n=1}^{\infty} c(n)q^n,$$

where

$$c(n) = 2\sigma(n) - 3\sigma(n/2) + 4\sigma(n/4) + 9\sigma(n/6) - 36\sigma(n/12).$$

Then Yao, Xia and Jin [15] expressed the even Fourier coefficients of one hundred and four eta quotients in terms of $\sigma_3(n), \sigma_3(\frac{n}{2}), \sigma_3(\frac{n}{3})$ and $\sigma_3(\frac{n}{6})$. One example is as follows:

$$\frac{\eta^{25}(2z)\eta^4(3z)}{\eta^{12}(z)\eta^5(4z)\eta^3(6z)\eta(12z)} = 1 + \sum_{n=1}^{\infty} c(n)q^n,$$

where

$$c(2n) = 65\sigma_3(n) - 68\sigma_3(n/2) - 81\sigma_3(n/3) + 324\sigma_3(n/6).$$

Then the author determined the even and odd coefficients of the Fourier series expansions of a class of eta quotients in terms of $\sigma_{k-1}(n), \sigma_{k-1}(\frac{n}{2}), \sigma_{k-1}(\frac{n}{3})$ and $\sigma_{k-1}(\frac{n}{6})$ for $k = 6$ [16], 8[17], 10[18], 12[19], 14[20], 16[21], 18[22], 20[23], 22[24], 24[25]. The Fourier series expansions of a class of eta quotients in $M_2(\Gamma_0, \chi)$ in terms of $\sigma(n), \sigma(\frac{n}{2}), \sigma(\frac{n}{3})$ and $\sigma(\frac{n}{6})$ has been found by Alaca[26] and the Fourier series expansions of a class of eta quotients in $M_4(\Gamma_0, \chi)$ in terms of $\sigma_3(n), \sigma_3(\frac{n}{2}), \sigma_3(\frac{n}{3})$ and $\sigma_3(\frac{n}{6})$ has been determined by the author[27]. Here, we will determine the coefficients of the Fourier series expansions of a class of eta quotients in $M_6(\Gamma_0, \chi)$ in terms of $\sigma_5(n), \sigma_5(\frac{n}{2}), \sigma_5(\frac{n}{3}), \sigma_5(\frac{n}{6})$ and Fourier coefficients of the eight eta quotients. The calculations have been done by Magma.

Here we give the following Lemma, see [[28] Theorem 1.64] about the modularity of an eta quotient.

Lemma 1. *An eta quotient of level N is a meromorphic modular form of weight $\frac{1}{2} \sum_{m|N} a_m$ on $\Gamma_0(N)$, with Dirichlet character χ , having rational coefficients with respect to q if*

$$\begin{aligned} & a) \sum_{m|N} a_m \text{ is even,} \\ b) \sum_{m|N} ma_m & \equiv \sum_{m|N} \frac{N}{m} a_m \equiv 0 \pmod{24}, \\ c) \chi(m) & = \left(\frac{(-1)^k \prod_{m|N} m^{a_m}}{m} \right). \end{aligned}$$

Now,

$$\begin{aligned} r_1 + 2r_2 + 3r_3 + 4r_4 + 6r_6 + 12r_{12} & \equiv 0 \pmod{24} \implies 13(r_1 + r_{12}) + 8(r_2 + r_6) + 7(r_3 + r_4) \equiv 0 \pmod{24} \\ 12r_1 + 6r_2 + 4r_3 + 3r_4 + 2r_6 + r_{12} & \equiv 0 \pmod{24} \implies 11(r_1 - r_{12}) + 4(r_2 - r_6) + (r_3 - r_4) \equiv 0 \pmod{24} \\ r_1 + r_2 + r_3 + r_4 + r_6 + r_{12} = 2k & \implies r_1 + r_{12} = 2k - r_2 - r_3 - r_4 - r_6 \implies \\ 13(2k - r_2 - r_3 - r_4 - r_6) + 8(r_2 + r_6) + 7(r_3 + r_4) & \equiv 0 \pmod{24} \\ 13 * 2k - 6(r_3 + r_4) - 5(r_2 + r_6) & \equiv 0 \pmod{24} \implies \end{aligned}$$

$$\begin{aligned} 5(r_2 + r_6) & \equiv 0 \pmod{2} \implies \\ (r_2 + r_6) & \equiv 0 \pmod{2} \\ \implies \text{the power of 2 is always even. So, if} \\ r_3 + r_6 + r_{12} & \equiv 0 \pmod{2} \end{aligned}$$

the eta quotient is in $M_6(\Gamma_0(12))$ and if

$$r_3 + r_6 + r_{12} \equiv 1 \pmod{2}$$

the eta quotient is in $M_6(\Gamma_0(12), \chi_3)$, where $\chi_3(m) = \left(\frac{3}{m}\right) = \left(\frac{12}{m}\right)$, i.e., the primitive character mod 12.

Let χ_0 be the trivial character mod 1 i.e. it sends n to 1, $\chi_1 = \left(\frac{-4}{m}\right)$ be the primitive character mod 4 and, $\chi_2 = \left(\frac{-3}{m}\right)$ be the primitive character mod 3. Obviously, $\chi_3 = \chi_0 * \chi_3, \chi_3 = \chi_3 * \chi_0, \chi_3 = \chi_1 * \chi_2, \chi_3 = \chi_2 * \chi_1$.

Let ψ, ϕ are primitive characters modulo L and M respectively and $L M t | N$. Then $E_k^{\psi, \phi}(tz)$ generates the Eisenstein subspace of $M_k(\Gamma_0(12), \chi), \chi = \psi \cdot \phi$, where

$$E_k^{\psi, \phi} = \delta(\psi = 1) - \frac{2k}{B_{k, \phi}} \sum_{n=1}^{\infty} \sigma_{k-1}^{\psi, \phi}(n) q^n, \sigma_{k-1}^{\psi, \phi}(n) = \sum_{0 < d | n} \psi\left(\frac{n}{d}\right) \phi(d) d^{k-1}.$$

In particular, since

$$2^{a_2} 3^{a_3} 4^{a_4} 6^{a_6} 12^{a_{12}} = 2^{a_2+2a_4+a_6+2a_{12}} 3^{a_3+a_6+a_{12}},$$

an eta quotient of level 12 is a meromorphic modular form of weight 6 if

$$a_1 + a_2 + a_3 + a_4 + a_6 + a_{12} = 12$$

and

$$a_1 + 2a_2 + 3a_3 + 4a_4 + 6a_6 + 12a_{12} \equiv 12a_1 + 6a_2 + 4a_3 + 3a_4 + 2a_6 + a_{12} \equiv 0 \pmod{24}.$$

Since $a_2 + a_6$ is an even integer, we conclude that it is a meromorphic modular form iff $a_3 + a_6 + a_{12}$ is an even integer, and it is a meromorphic modular form with χ_3 iff $a_3 + a_6 + a_{12}$ is an odd integer, where χ_3 is the unique primitive Dirichlet character mod 12. On the other hand, the modular forms are holomorphic iff its order at cusps, $\frac{1}{1}, \frac{1}{2}, \frac{1}{3}, \frac{1}{4}, \frac{1}{6}$ and $\frac{1}{12}$ are nonnegative, see [1] i.e.,

$$\sum_{m|12} \frac{(\gcd(c, m))^2}{m} a_m \geq 0 \text{ for } c|12.$$

Theorem 1. Let χ_0 be the trivial character mod 1, i.e., it sends n to 1, χ_1 be the primitive Dirichlet character mod 4, and χ_2 is the primitive Dirichlet character mod 3. Then the Eisenstein subspace of $M_6(\Gamma_0(12), \chi_3)$ is generated by

$$\begin{aligned} E_6^{\chi_1, \chi_2} &= \sum_{n=1}^{\infty} \left(\sum_{0 < d|n} \chi_1 \left(\frac{n}{d} \right) \chi_2(d) d^5 \right) q^n, \\ E_6^{\chi_2, \chi_1} &= \sum_{n=1}^{\infty} \left(\sum_{0 < d|n} \chi_2 \left(\frac{n}{d} \right) \chi_1(d) d^5 \right) q^n, \\ E_6^{\chi_0, \chi_3} &= -\frac{B_{6, \chi_3}}{12} + \sum_{n=1}^{\infty} \left(\sum_{0 < d|n} \chi_0 \left(\frac{n}{d} \right) \chi_3(d) d^5 \right) q^n = -1631 + \sum_{n=1}^{\infty} \left(\sum_{0 < d|n} \chi_3(d) d^5 \right) q^n \\ E_6^{\chi_3, \chi_0} &= \sum_{n=1}^{\infty} \left(\sum_{0 < d|n} \chi_3 \left(\frac{n}{d} \right) d^5 \right) q^n \end{aligned}$$

and the cuspidal subspace $S_6(\Gamma_0(12), \chi_3)$ is generated by

$$\begin{aligned} g_1 &:= \sum_{n=0}^{\infty} g_1(n) q^n = \frac{\eta^{25}(2z) \eta^{13}(3z) \eta^7(12z)}{\eta^{11}(z) \eta^9(4z) \eta^{13}(6z)}, \\ g_2 &:= \sum_{n=0}^{\infty} g_2(n) q^n = \frac{\eta^{29}(2z) \eta^5(3z) \eta^5(12z)}{\eta^{11}(z) \eta^{11}(4z) \eta^5(6z)}, \\ g_3 &:= \sum_{n=0}^{\infty} g_3(n) q^n = \frac{\eta^{21}(2z) \eta^{10}(3z) \eta^2(12z)}{\eta^{10}(z) \eta^2(4z) \eta^9(6z)}, \\ g_4 &:= \sum_{n=0}^{\infty} g_4(n) q^n = \frac{\eta^{29}(2z) \eta^5(3z) \eta^5(12z)}{\eta^{10}(z) \eta^4(4z) \eta(6z)}, \\ g_5 &:= \sum_{n=0}^{\infty} g_5(n) q^n = \frac{\eta^{19}(2z) \eta^7(3z) \eta(4z) \eta(12z)}{\eta^9(z) \eta^7(6z)}, \\ g_6 &:= \sum_{n=0}^{\infty} g_6(n) q^n = \frac{\eta^{18}(2z) \eta^{12}(3z) \eta^9(12z)}{\eta^8(z) \eta^7(4z) \eta^{12}(6z)}, \\ g_7 &:= \sum_{n=0}^{\infty} g_7(n) q^n = \frac{\eta^8(2z) \eta^3(3z) \eta^{10}(4z)}{\eta^5(z) \eta^2(6z) \eta^2(12z)}, \end{aligned}$$

$$g_8 := \sum_{n=0}^{\infty} g_8(n) q^n = \frac{\eta^{11}(2z)\eta^{11}(3z)\eta^{11}(12z)}{\eta^5(z)\eta^5(4z)\eta^{11}(6z)}.$$

Proof: Since

$$\chi_3 = \chi_0 * \chi_3, \chi_3 = \chi_3 * \chi_0, \chi_3 = \chi_1 * \chi_2, \chi_3 = \chi_2 * \chi_1,$$

the Eisenstein subspace of $M_6(\Gamma_0(12), \chi_3)$ is generated by

$E_6^{\chi_1, \chi_2}, E_6^{\chi_2, \chi_1}, E_6^{\chi_0, \chi_3}$ and $E_6^{\chi_3, \chi_0}$. Since $g_1, g_2, g_3, g_4, g_5, g_6, g_7$ and g_8 are in $S_6(\Gamma_0(12), \chi_3)$, linearly

independent and $\dim(S_6(\Gamma_0(12), \chi_3)) = 8$, it follows.

2 Conclusions

Now we can state our main Conclusion:

Theorem 2. *The coefficients of the Fourier series of three hundred and thirty-six eta quotients*

$$\eta^{a_1}(z)\eta^{a_2}(2z)\eta^{a_3}(3z)\eta^{a_4}(4z)\eta^{a_6}(6z)\eta^{a_{12}}(12z) = \delta(b_1) + \sum_{n=1}^{\infty} c(n)q^n,$$

where

$$\delta(b_1) = \begin{cases} 0 & \text{if } b_1 \neq 0 \\ 1 & \text{if } b_1 = 0 \end{cases},$$

in $M_6(\Gamma_0(12), \chi_3)$ are given in the form

$$c_1\sigma_5(n) + c_2\sigma_5\left(\frac{n}{2}\right) + c_3\sigma_5\left(\frac{n}{3}\right) + c_4\sigma_5\left(\frac{n}{4}\right) + c_6\sigma_5\left(\frac{n}{6}\right) + c_{12}\sigma_5\left(\frac{n}{12}\right) \\ + r_1g_1(n) + r_2g_2(n) + r_3g_3(n) + r_4g_4(n) + r_5g_5(n) + r_6g_6(n) + r_7g_7(n) + r_8g_8(n)$$

as in the Table 1 and Table 2 in Appendix.

Remark 1: $S_6(\Gamma_0(12), \chi_3)$ is 8 dimensional, see [29] (Chapter 3, pg.87 and Chapter 5, pg.197), and it is generated by Δ_t , and its seven conjugates. Here

$$\pm t, \pm t_1 : = \pm \frac{1}{1559\,907\,655\,458\,892\,672} (-49255t^7 - 14150369816 \\ t^5 - 801124794965200t^3 - 9510888797088577536t),$$

$$\pm s, \pm s_1 : = \pm \frac{1}{3119\,815\,310\,917\,785\,344} (-207t^6 - 14589130t^4 - 182408316832t^2 \\ + 9193411862560)s^3 + \frac{1}{20\,525\,100\,729\,722\,272} (-27549t^6 \\ - 1941622910t^4 - 24276167731424t^2 + 33349767825273824)s$$

are distinct eight conjugate roots of the irreducible polynomial

$$x^8 + 91184x^6 + 2443650912x^4 + 20288134953728x^2 + 8709491417518336,$$

where s is a root of the polynomial

$$x^4 + \frac{1}{8357425156}(-81t^6 - 5708790t^4 - 71377167456t^2 + 596596707145600)x^2 + \frac{1}{4178712578}(-838557t^6 - 59100565630t^4 - 738936091486432t^2 + 4816031253239273920).$$

These illuminate the relations between our selected 8 eight eta quotients and basic newforms in $S_6(\Gamma_0(12), \chi_3)$. So one can pass from our selected 8 eight eta quotients to basic newforms in $S_6(\Gamma_0(12), \chi_3)$ and vice versa.

Remark 2: The coefficients of the Fourier series of the 60 eta quotients in $M_6(\Gamma_0(12))$ are given in the form

$$c(2n) = -c_1\sigma_5(2n) - c_2\sigma_5(n) - c_4\sigma_5\left(\frac{n}{2}\right) - (33c_3 + c_6)\sigma_5\left(\frac{n}{3}\right) - (c_{12} - 32c_3)\sigma_5\left(\frac{n}{6}\right) + r_1f_1(2n) + r_2f_2(2n) + r_3f_3(2n),$$

$$c(2n-1) = -c_1\sigma_5(2n-1) - c_3\sigma_5\left(\frac{2n-1}{3}\right) + r_4f_4(2n-1) + r_5f_5(2n-1) + r_6f_6(2n-1) + r_7f_7(2n-1), n \in \mathbb{N}$$

and, the coefficients of the Fourier series of the 74 eta quotients in $M_6(\Gamma_0(12))$ are given in the form

$$c(2n) = -c_1\sigma_5(2n) - c_2\sigma_5(n) - c_4\sigma_5\left(\frac{n}{2}\right) - (33c_3 + c_6)\sigma_5\left(\frac{n}{3}\right) - (c_{12} - 32c_3)\sigma_5\left(\frac{n}{6}\right) + r_1f_1(2n) + r_2f_2(2n) + r_3f_3(2n),$$

$$c(2n-1) = -c_1\sigma_5(2n-1) - c_3\sigma_5\left(\frac{2n-1}{3}\right) = 0,$$

exactly as in [16]. But, in this method we didn't need to use (p, k) parametrizations. Here,

$$f_1 := \sum_{n=0}^{\infty} f_1(n) q^n = \eta(2z)\eta(4z)\eta^5(6z)\eta^5(12z),$$

$$f_2 := \sum_{n=0}^{\infty} f_2(n) q^n = \eta^5(2z)\eta^5(4z)\eta(6z)\eta(12z),$$

$$f_3 := \sum_{n=0}^{\infty} f_3(n) q^n = \frac{\eta^9(2z)\eta^9(12z)}{\eta^3(4z)\eta^3(6z)},$$

$$f_4 := \sum_{n=0}^{\infty} f_4(n) q^n = \frac{\eta^8(4z)\eta^{16}(6z)}{\eta^4(2z)\eta^8(12z)},$$

$$f_5 := \sum_{n=0}^{\infty} f_5(n) q^n = \eta^{12}(2z),$$

$$f_6 := \sum_{n=0}^{\infty} f_6(n) q^n = \frac{\eta^5(2z)\eta^{13}(6z)}{\eta(4z)\eta^5(12z)},$$

$$f_7 := \sum_{n=0}^{\infty} f_7(n) q^n = \frac{\eta^{12}(4z)\eta^{24}(6z)}{\eta^{12}(2z)\eta^{12}(12z)}.$$

Competing Interests

Author has declared that no competing interests exist.

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APPENDIX

Table 1. The eta quotients and the coefficients c_1 c_2 c_3 c_4 r_1 r_2

No	a_1	a_2	a_3	a_4	a_6	a_{12}	c_1	c_2	c_3	c_4	r_1	r_2
1	-14	15	30	-4	-15	0	98 401	-1	1681	-6211	138 086 557	-15 366 583
2	-13	13	27	-1	-13	-1	45 387	-1	1681	45 387	605 160	605 160
3	-12	12	24	-3	-6	-3	26 896	-1	1681	45 387	591 595 973	-7 831 567
4	-12	13	24	-2	-13	2	18 416	0	-1681	15 129	2420 640	2420 640
5	-11	11	21	1	-11	1	45 387	0	-1681	1024	105 140 953	13 839 467
6	-11	12	13	8	-6	-4	15 129	-1	1681	15 129	403 440	403 440
7	-11	12	21	-4	-6	0	18 416	0	-1681	15 129	7154 671	3157 549
8	-10	10	10	11	-4	-5	18 416	-1	1681	45 387	1856 580	605 680
9	-10	10	18	-1	-4	-1	53 792	-1	1681	15 129	201 720	201 720
10	-10	11	10	6	1	-6	92 088	0	-1681	360	241 673 63	1657 177
11	-10	11	18	0	-11	4	45 387	-1	1681	45 387	107 584	107 584
12	-9	9	7	9	3	-7	15 129	-1	1681	691	17 987 623	8475 157
13	-9	9	15	-3	3	-3	26 896	-1	1681	45 387	2420 640	2420 640
14	-9	9	15	3	-9	3	60 516	0	-1681	51034	592 484 07	98 026 833
15	-9	10	7	4	8	-8	15 129	-1	1681	15 129	2151 680	2151 680
16	-9	10	7	10	-4	-2	18 416	0	-1681	1215	2783 093	1616 597
17	-9	10	15	-2	-4	2	31 077	0	-1681	729	4674 687	605 160
18	-8	8	4	7	10	-9	215 168	0	-1681	45 387	4674 687	783 803
19	-8	8	4	13	-2	-3	18 416	-1	1681	162	605 160	605 160
20	-8	8	12	1	-2	1	860 672	0	-1681	1681	4674 687	783 803
21	-8	8	20	-5	-14	11	15 129	-1	1681	1681	605 160	605 160
22	-8	9	4	2	15	-10	10 448	0	-1681	15 129	16 810	16 810
23	-8	9	4	8	3	-4	26 896	-1	1681	15 129	300 820 077	-52 065 063
24	-8	9	12	-4	3	0	18 416	0	-1681	26 896	1075 840	1075 840
25	-8	9	12	2	-9	6	80 688	-1	1681	475 209	495 291	495 291
26	-8	9	20	2	-9	-2	6724	-1	1681	5043	268 960	268 960
27	-7	7	1	5	17	-11	589	-1	1681	5043	268 960	268 960
28	-7	7	1	11	5	-5	31 077	0	-1681	6724	15 192 475	2637 955
29	-7	7	9	-1	5	-1	430 336	0	-1681	6724	53 792	53 792
30	-7	7	9	5	-7	5	1151	0	-1681	729	14 760 981	17 115 039
31	-7	7	17	5	-7	-3	107 584	0	-1681	215 168	8606 720	8606 720
32	-7	8	1	0	22	-12	60 516	-1	1681	45 387	16 810	16 810
33	-7	8	1	6	10	-6	3453	0	-1681	45 387	302 580	302 580
34	-7	8	1	12	-2	0	1721 344	0	-1681	408	151 230 093	26 953 920
35	-7	8	9	0	-2	4	121 032	0	-1681	81	31 967 217	54 976 077
36	-7	8	17	-6	-14	14	968 256	-1	1681	13 448	34 426 880	34 426 880
37	-7	8	17	0	-2	-4	6724	-1	1681	15 129	403 440	403 440
38	-6	6	-2	3	24	-13	2387	-1	1681	385	147 944 693	35 350 847
39	-6	6	-2	9	12	-7	10 359	0	-1681	45 387	19 365 190	19 365 190
40	-6	6	6	-3	12	-3	20 172	0	-1681	605 160	76 165 637	13 571 183
41	-6	6	6	3	0	3	163 976	0	-1681	1681	268 960	268 960
42	-6	6	14	-3	-12	13	1936 512	0	-1681	1681	4303 360	4303 360
43	-6	6	14	3	0	-5	6724	-1	1681	1681	214 627	214 627
44	-6	6	22	-3	-12	5	121 032	0	-1681	11 808	182 618	182 618
45	-6	7	-2	-2	29	-14	4847	-1	1681	5043	1075 840	1075 840
46	-6	7	-2	4	17	-8	45 387	-1	1681	1681	268 960	268 960
47	-6	7	-2	10	5	-2	26 896	0	-1681	416	37 708 859	6915 521
48	-6	7	6	-2	5	2	13 448	0	-1681	1081	13 448	13 448
49	-6	7	6	-2	5	2	181 548	0	-1681	339	61 439 79	20 745 599
50	-6	7	14	-2	5	-6	430 336	0	-1681	6724	54 385 353	8539 093
51	-6	7	14	4	-7	0	45 387	-1	1681	9	8606 720	8606 720
52	-5	5	-5	1	31	-15	60 516	-1	1681	15 129	16 810	16 810
53	-5	5	-5	7	19	-9	3453	0	-1681	15 129	2582 016	2582 016
54	-5	5	3	1	7	1	107 584	0	-1681	1681	77 040 261	14 408 899
55	-5	5	3	7	-5	7	242 064	0	-1681	1681	68 853 760	68 853 760
56	-5	5	11	-5	-5	11	1721 344	0	-1681	15 129	38 110	38 110
57	-5	5	11	1	7	-7	484 128	-1	1681	1681	9699 139	2195 305
58	-5	5	11	7	-5	-1	1151	0	-1681	15 129	2582 016	2582 016
59	-5	6	-5	2	24	-10	6724	-1	1681	1681	74 693 929	14 408 899
60	-5	6	-5	8	12	-4	430 336	0	-1681	1681	268 960	268 960
61	-5	6	3	-4	12	0	181 548	0	-1681	1681	74 693 929	14 408 899
62	-5	6	3	2	0	6	645 504	0	-1681	1681	268 960	268 960
63	-5	6	3	14	0	-6	6724	-1	1681	1681	49 160 229	11 276 111

64	-5	6	11	-4	-12	16	2509	0	-563	563	438 215 183	102 090 317
65	-5	6	11	2	0	-2	11 619 072	0	-430 336	181 548	154 920 960	154 920 960
66	-5	6	19	-4	-12	8	559	0	2233	-436 282 699	-101 860 001	9682 560
67	-4	4	-8	-1	38	-17	726 192	0	26 896	-45 387	-321 374 941	-65 513 719
68	-4	4	-8	5	26	-11	90 774	-1681	3362	45 387	1210 320	1210 320
69	-4	4	0	5	2	5	53 792	0	53 792	1681	28 635 457	2023 517
70	-4	4	0	-1	14	-1	860 672	0	-860 672	13 448	-2151 680	2151 680
71	-4	4	0	17	2	-7	1151	0	13 448	45 387	14 380 577	1754 357
72	-4	4	8	-1	-10	15	363 096	-1681	860 672	13 448	34 426 880	34 426 880
73	-4	4	8	-1	14	-9	23 238 144	0	-860 672	1685	61 968 880	61 968 880
74	-4	4	8	5	2	-3	90 774	-1681	3362	-11 689	65 801 437	13 014 775
75	-4	4	16	-1	-10	7	0	0	0	242 064	242 064	242 064
76	-4	4	24	-1	-10	-1	864	0	32	-780 181	-181 279	181 279
77	-4	5	-8	0	31	-12	45 387	-1681	1681	11 200	245 619 269	59 914 031
78	-4	5	-8	6	19	-6	60 516	0	6724	45 387	302 880	302 880
79	-4	5	0	0	7	4	53 792	0	53 792	15 129	806 880	806 880
80	-4	5	0	6	-5	10	1151	0	15 129	1681	215 616	1954 831
81	-4	5	0	12	7	-8	968 256	-1681	860 672	15 129	12 910 080	12 910 080
82	-4	5	8	-6	-5	14	860 672	0	860 672	-13 448	-34 426 880	-34 426 880
83	-4	5	8	0	7	-4	6724	-1681	1681	432	71 139 951	71 139 951
84	-4	5	8	6	-5	2	2904 768	0	107 584	1901	14 706 749	33 700 051
85	-3	3	-11	3	33	-13	0	0	0	45 387	38 730 240	38 730 240
86	-3	3	-3	-3	21	-3	0	0	0	-5	8	8
87	-3	3	-3	3	9	3	1151	0	0	27	32	32
88	-3	3	-3	15	9	-9	80 688	0	-26 896	4	-19 541 499	1167 599
89	-3	3	5	-3	-3	13	15 129	0	0	5043	1075 840	1075 840
90	-3	3	5	3	9	-5	0	0	0	23 749	29 209	29 209
91	-3	3	5	9	-3	1	1291 008	0	9	-15 129	40 344	40 344
92	-3	3	13	-3	-3	5	430 336	0	9	-11 338 219	-1033 119	-1033 119
93	-3	4	-11	-2	38	-14	1151	0	0	20 172	17 213 540	17 213 540
94	-3	4	-11	4	26	-8	1291 008	-1681	430 336	-17 213	-868 336 819	-193 614 927
95	-3	4	-3	-2	14	2	430 336	0	6724	45 387	3442 688	3442 688
96	-3	4	-3	4	2	8	645 504	0	-215 168	30 258	14 216 819	25 820 160
97	-3	4	-3	10	14	-10	0	0	0	0	25 820 160	25 820 160
98	-3	4	5	-2	-10	18	0	0	0	8	8	8
99	-3	4	5	-2	14	-6	187	0	561	-499	48 622 309	11 376 111
100	-3	4	5	4	2	0	121 032	0	13 448	0	537 920	537 920
101	-3	4	13	-2	-10	10	2303	0	0	7	40 717 019	1430 479
102	-3	4	21	-2	-10	2	181 548	0	6724	45 387	2420 640	2420 640
103	-2	2	-14	1	40	-15	107 584	0	2624	16 037 919	4303 360	4303 360
104	-2	2	-6	1	16	1	1452 384	0	-53 792	45 387	10 800 259	10 800 259
105	-2	2	-6	13	16	-11	589	0	0	13	19 045 939	19 045 939
106	-2	2	2	2	5	4	1721 344	-1681	41 984	-26 896	88 883 260	68 833 599
107	-2	2	2	1	-8	17	6724	0	6724	1681	268 960	268 960
108	-2	2	2	1	16	-7	46 476 288	0	1721 344	-726 192	-1333 084 859	-303 739 601
109	-2	2	2	7	4	-1	181 548	0	6724	-45 387	619 683 840	619 683 840
110	-2	2	10	1	-8	9	0	0	0	-45 387	-19 116 421	440 081
111	-2	2	18	1	-8	1	0	0	0	16	2420 640	2420 640
112	-2	3	-14	2	33	-10	0	0	0	16	780 181	181 279
113	-2	3	-6	-4	21	0	-1 152	0	-3	23 040	23 040	23 040
114	-2	3	-6	2	9	6	841	0	-26 921	-663 300 341	-152 144 959	-152 144 959
115	-2	3	-6	8	21	-12	90 774	0	3362	45 387	2210 320	1210 320
116	-2	3	2	-4	-3	16	1151	0	13 448	15 129	38 906 819	38 906 819
117	-2	3	2	2	9	-2	121 032	0	15 129	1613 760	1613 760	1613 760
118	-2	3	2	8	-3	4	1936 512	0	-3	25 324 139	25 324 139	25 324 139
119	-2	3	10	-4	-3	8	215 168	-1681	215 168	30 258	25 820 160	25 820 160
120	-2	3	10	8	-3	-4	726 192	0	-26 896	45 387	2065 387 033	497 853 272
121	-1	1	-17	-1	47	-17	59	0	315	3362	8606 720	8606 720
122	-1	1	-9	-1	23	-1	645 504	0	215 168	-35	75 726 731	75 726 731
123	-1	1	-9	11	23	-13	0	0	0	35	9682 560	9682 560
124	-1	1	-1	-1	1	15	726 192	0	26 896	45 387	61 968 880	61 968 880
125	-1	1	-1	-1	23	-9	0	0	0	140	5570 035	-1260 921
126	-1	1	-1	5	11	-3	0	0	0	10 086	1721 344	1721 344
127	-1	1	-1	11	-1	3	0	0	0	0	8	8
128	-1	1	7	-1	-1	7	0	0	0	3	32	32
129	-1	1	7	11	-1	-5	-1 152	0	-3	0	780 181	181 279
130	-1	1	15	-1	-1	-1	72	0	128	18	15 360	15 360
131	-1	2	-17	0	40	-12	72	0	0	-8	28 3461	28 3461
132	-1	2	-9	0	16	4	20 172	0	6724	80	960 3	960 3
							726 192	0	5043	45 387	663 973	663 973
							3362	0	1	-45 387	8916 661	53 039
							726 192	0	26 896	-45 387	9682 560	9682 560
							322 752	0	107 584	45 387	9882 560	9882 560
							27	-1681	6724	-1681	685 349	11 211
							59	0	35	140	860 672	860 672
							726 192	0	26 896	45 387	63 726 731	15 071 679
							0	0	0	0	268 960	268 960
							0	0	0	0	86 953	86 953
							0	0	0	0	30 258	30 258
							0	0	0	0	81	81
							0	0	0	0	178	178
							-559	0	-559	2233	436 282 699	101 760 001
							726 192	-1681	26 896	45 387	9682 560	9682 560
							6724	0	6724	1681	69 476 761	69 476 761
							90 774	0	-3362	1107	268 960	268 960
							1151	0	1	1	38 505 719	38 505 719
							2904 768	0	-107 584	45 387	1210 320	1210 320
							107 584	-1681	107 584	1	54 371 819	5336 478
							4513	0	3361	-459	38 730 240	38 730 240
							46 476 288	0	1721 344	-726 192	-977 383 877	-977 383 877
							181 548	0	6724	45 387	4303 360	4303 360
							0	0	0	0	2677 340 341	2677 340 341
							0	0	0	0	619 683 840	619 683 840
							27	0	601	-2	22 639 619	185 079
							1721 344	0	1721 344	27	2420 640	2420 640
							864	0	32	26 896	94 900 059	27 626 319
							45 387	-1681	6724	45 387	68 833 760	68 833 760
							6724	0	32	26 896	80 154	80 154
							181 548	0	6724	1681	11 520	11 520
							5904	0	26 896	45 387	67 055 121	67 055 121
							94 464	0	430 336	-53 767	268 960	268 960
								0	45 387	-26 45 608 141	609 294 919	609 294 919
								0	26 896	45 387	3227 520	3227 520
								0	5904	-15 129	99 405 901	21 019 879
								0	430 336	-60 516	88 659 021	88 659 021
											51 640 320	51 640 320

133	-1	2	-9	6	28	-14	27	-1	729	-432	-58 078 581	-15 316 639
134	-1	2	-1	-6	4	14	$\frac{6724}{505}$	$-\frac{1681}{0}$	$\frac{6724}{215 168}$	$-\frac{1681}{379}$	$\frac{268 960}{298 884 157}$	$-\frac{268 960}{68 115 223}$
135	-1	2	-1	0	-8	20	5809 536	0	215 168	90 774	$\frac{77 460 480}{10 140 497}$	$\frac{77 460 480}{245 803}$
136	-1	2	-1	0	16	-4	-62 976	0	-860 672	40 344	6885 376	6885 376
137	-1	2	-1	6	4	2	0	0	0	0	$-\frac{1}{135}$	$\frac{1}{41}$
138	-1	2	7	0	-8	12	$\frac{1}{2304}$	0	$\frac{3}{256}$	$-\frac{1}{36}$	$-\frac{67 581}{30 720}$	$-\frac{64}{30 720}$
139	-1	2	7	6	4	-6	$\frac{6724}{27}$	$-\frac{1681}{0}$	$\frac{6724}{729}$	$-\frac{432}{1681}$	$\frac{268 960}{67 155 981}$	$-\frac{268 960}{14 576 999}$
140	0	0	-12	-3	30	-3	$\frac{484 128}{243}$	0	$\frac{53 792}{6435}$	5043	$-\frac{268 960}{215 168}$	$-\frac{268 960}{609 173}$
141	0	0	-12	9	30	-15	53 792	$-\frac{1}{1681}$	53 792	$-\frac{1}{1681}$	$-\frac{468 167 949}{215 168}$	$-\frac{468 167 949}{215 168}$
142	-1	2	15	0	-8	4	$-\frac{144}{81}$	0	$-\frac{3}{16}$	$-\frac{1}{83}$	$-\frac{782 101}{1920}$	$-\frac{782 101}{1920}$
143	0	0	-4	-3	6	13	$\frac{7746 048}{224}$	0	860 672	-13 448	$-\frac{34 426 880}{23}$	$-\frac{34 426 880}{23}$
144	0	0	-4	3	18	-5	0	0	0	0	0	0
145	0	0	-4	9	6	1	$\frac{27}{860 672}$	0	601	-27	$\frac{48 907 899}{18 448}$	$-\frac{23 591 919}{34 426 880}$
146	0	0	4	-3	6	5	$-\frac{121 032}{387}$	0	$-\frac{13 448}{499}$	$-\frac{13 448}{499}$	$\frac{5043}{34 426 880}$	$\frac{5043}{34 426 880}$
147	0	0	4	3	-6	11	1536	0	$\frac{57}{729}$	$-\frac{24}{432}$	$-\frac{20 480}{64 634 481}$	$-\frac{20 480}{64 634 481}$
148	0	0	4	9	6	-7	$\frac{6724}{729}$	$-\frac{1}{1681}$	$\frac{6724}{729}$	$-\frac{1}{1681}$	$\frac{268 960}{78 461}$	$-\frac{268 960}{78 461}$
149	0	0	12	3	-6	3	$-\frac{96}{149}$	0	$-\frac{32}{149}$	$-\frac{5}{432}$	$-\frac{1280}{167 346 061}$	$-\frac{1280}{167 346 061}$
150	0	1	-20	-2	47	-14	$\frac{183 548}{135}$	0	$\frac{6724}{53 792}$	$-\frac{432}{432}$	$-\frac{2420 640}{62 187 071}$	$-\frac{2420 640}{62 187 071}$
151	0	1	-12	-2	23	2	$\frac{1452 384}{1615}$	0	53 792	43 387	$\frac{19 365 120}{19 365 120}$	$\frac{19 365 120}{19 365 120}$
152	0	1	-12	4	35	-16	$\frac{6724}{1211}$	$-\frac{1}{1681}$	$\frac{6724}{1531}$	1499	$\frac{268 960}{1153 161 719}$	$-\frac{268 960}{272 952 581}$
153	0	1	-4	-2	-1	18	$-\frac{46 476 288}{181 548}$	0	$-\frac{1721 344}{6724}$	$-\frac{1721 344}{6724}$	$\frac{619 683 840}{2420 640}$	$\frac{619 683 840}{2420 640}$
154	0	1	-4	-2	23	-6	0	0	0	0	0	0
155	0	1	-4	4	11	0	0	0	0	0	0	0
156	0	1	4	-2	-1	10	$\frac{1728}{6724}$	$-\frac{1}{1681}$	$\frac{6724}{6724}$	$-\frac{432}{1681}$	$-\frac{783 781}{64 634 481}$	$-\frac{783 781}{64 634 481}$
157	0	1	4	4	11	-8	0	0	0	0	0	0
158	0	1	4	10	-1	-2	0	0	0	0	0	0
159	0	1	12	-2	-1	2	$-\frac{841}{90 774}$	0	$-\frac{841}{3362}$	26 921	$\frac{657 281 971}{1210 320}$	$\frac{152 296 249}{1210 320}$
160	1	-1	-15	7	37	-17	$\frac{26 896}{1615}$	$-\frac{1}{1681}$	$\frac{26 896}{1615}$	$-\frac{1}{1681}$	$-\frac{29 004 321}{3778 560}$	$-\frac{29 004 321}{3778 560}$
161	1	-1	-7	-5	13	11	11 619 072	0	430 336	-181 548	$-\frac{3778 560}{11}$	$-\frac{3778 560}{11}$
162	1	-1	-7	1	25	-7	0	0	0	0	0	0
163	1	-1	-7	7	13	-1	430 336	0	430 336	6724	$\frac{12 598 299}{17 213 440}$	$-\frac{20 633 359}{17 213 440}$
164	1	-1	1	1	1	9	$\frac{1152}{37}$	0	$\frac{128}{429}$	$-\frac{18}{432}$	$-\frac{786 600}{15 360}$	$-\frac{786 600}{15 360}$
165	1	-1	1	7	13	-9	$\frac{6724}{37}$	$-\frac{1}{1681}$	$\frac{6724}{37}$	$-\frac{432}{1681}$	$-\frac{62 112 981}{268 960}$	$-\frac{14 509 759}{268 960}$
166	1	-1	1	13	1	-3	0	0	0	0	0	0
167	1	-1	9	1	1	1	$-\frac{1}{57}$	0	$-\frac{3}{90}$	$\frac{8}{32}$	$\frac{781 121}{960}$	$\frac{181 279}{960}$
168	1	0	-15	-4	30	0	551	0	295	-356	$-\frac{347 453 459}{38 730 240}$	$-\frac{55 577 561}{38 730 240}$
169	1	0	-15	2	42	-18	$\frac{2904 768}{6724}$	$-\frac{1}{1681}$	$\frac{107 584}{6724}$	$-\frac{44 387}{1681}$	$\frac{38 730 240}{268 960}$	$\frac{38 730 240}{268 960}$
170	1	0	-7	-4	6	16	$\frac{1685}{46 476 288}$	0	$\frac{6724}{141}$	1877	$\frac{1409 780 537}{619 683 840}$	$\frac{349 041 803}{619 683 840}$
171	1	0	-7	2	18	-2	0	0	0	0	0	0
172	1	0	1	-4	6	8	$\frac{559}{726 192}$	0	559	2233	$-\frac{439 808 499}{9682 560}$	$-\frac{101 184 841}{9682 560}$
173	1	0	1	2	-6	14	$-\frac{3072}{104}$	0	$-\frac{104}{104}$	48	$-\frac{40 960}{792 661}$	$-\frac{40 960}{792 661}$
174	1	0	1	2	18	-10	$\frac{6724}{37}$	$-\frac{1}{1681}$	$\frac{6724}{37}$	$-\frac{432}{1681}$	$-\frac{61 709 541}{268 960}$	$-\frac{14 634 239}{268 960}$
175	1	0	1	8	6	-4	0	0	0	0	0	0
176	1	0	9	2	-6	6	$\frac{1}{9}$	0	$\frac{9}{9}$	$-\frac{1}{16}$	$-\frac{780 181}{16}$	$-\frac{181 279}{16}$
177	1	0	17	2	-6	-2	$\frac{192}{100}$	$-\frac{1}{1681}$	$\frac{3600}{1681}$	25 600	$\frac{80 560}{781 102}$	$\frac{1813 036}{781 102}$
178	2	-2	-18	5	44	-19	5043	$-\frac{1}{1681}$	5043	5043	$-\frac{134 690 983}{537 920}$	$-\frac{47 993 477}{537 920}$
179	2	-2	-10	-1	32	-9	13 448	$-\frac{1}{1681}$	13 448	$-\frac{1}{25}$	$-\frac{23 655 121}{6724}$	$-\frac{1347 821}{6724}$
180	2	-2	-10	5	20	-3	$\frac{181 548}{601}$	0	$\frac{6724}{601}$	$-\frac{45 387}{601}$	$-\frac{2420 640}{15 373 341}$	$-\frac{2420 640}{15 373 341}$
181	2	-2	-2	-1	8	7	215 168	0	215 168	3362	$-\frac{8606 720}{187 741}$	$-\frac{8606 720}{187 741}$
182	2	-2	-2	5	-4	13	$-\frac{864}{827}$	0	$-\frac{32}{827}$	$-\frac{27}{827}$	$-\frac{11 520}{1960 884 421}$	$-\frac{11 520}{1960 884 421}$
183	2	-2	-2	5	20	-11	$-\frac{1721 344}{6724}$	$-\frac{1}{1681}$	$-\frac{1721 344}{6724}$	26 896	$\frac{68 853 760}{58 688 721}$	$\frac{447 585 199}{58 688 721}$
184	2	-2	-2	11	8	-5	0	0	0	0	$-\frac{34 426 880}{268 960}$	$-\frac{34 426 880}{268 960}$
185	2	-2	6	-1	8	-1	$\frac{3361}{181 548}$	0	$\frac{3361}{6724}$	53 767	$\frac{2624 730 121}{2420 640}$	$\frac{609 597 499}{2420 640}$
186	2	-2	6	5	-4	5	0	0	0	0	0	0
187	2	-2	14	5	-4	-3	$\frac{128}{1827}$	$-\frac{1}{1681}$	$\frac{128}{439 29}$	13 076	$-\frac{2422 143}{5120}$	$-\frac{2422 143}{5120}$
188	2	-1	-18	0	49	-20	15 129	$-\frac{1}{1681}$	15 129	15 129	$\frac{3817 824 941}{21 105 841}$	$\frac{884 834 279}{21 105 841}$
189	2	-1	-10	-6	13	14	$-\frac{61}{15 129}$	0	61	3913	$-\frac{537 920}{4920}$	$-\frac{537 920}{4920}$
190	2	-1	-10	0	25	-4	107 584	0	107 584	5043	$-\frac{4303 360}{57}$	$-\frac{4303 360}{57}$
191	2	-1	-2	0	1	12	$-\frac{1}{2304}$	0	$-\frac{3}{36}$	$\frac{1}{36}$	$\frac{793 861}{30 720}$	$\frac{180 079}{30 720}$
192	2	-1	-2	0	25	-12	15 129	$-\frac{1}{1681}$	15 129	15 129	$-\frac{24 107 921}{201 720}$	$-\frac{24 107 921}{201 720}$
193	2	-1	-2	6	13	-6	0	0	0	0	0	0
194	2	-1	-2	12	1	0	$-\frac{27}{430 336}$	0	$-\frac{601}{430 336}$	27	$-\frac{113 054 859}{17 213 440}$	$-\frac{31 257 279}{17 213 440}$
195	2	-1	6	0	1	4	144	0	16	9	$-\frac{4860}{11 519}$	$-\frac{4860}{11 519}$
196	2	-1	14	0	1	-4	$\frac{180}{1681}$	$-\frac{1}{1681}$	$-\frac{16}{1681}$	11 519	$\frac{21 1320}{11 519}$	$\frac{119 313}{11 519}$
197	3	-3	-21	3	51	-21	$\frac{3362}{27}$	$-\frac{1}{1681}$	$\frac{3362}{665}$	864	$-\frac{46 980 161}{134 380}$	$-\frac{15 520 739}{134 380}$
198	3	-3	-13	3	27	-5	107 584	0	107 584	1681	$-\frac{36 730 240}{4303 360}$	$-\frac{16 576 919}{4303 360}$
199	3	-3	-5	-3	15	5	$\frac{121 032}{3281}$	0	$\frac{13 448}{301}$	495	$-\frac{837 920}{592 054 159}$	$-\frac{837 920}{592 054 159}$
200	3	-3	-5	3	3	11	$\frac{5164 032}{6724}$	0	$-\frac{1721 344}{6724}$	80 688	$-\frac{68 853 760}{57 607 901}$	$-\frac{68 853 760}{57 607 901}$
201	3	-3	-5	3	27	-13	0	0	0	0	0	0

202	3	-3	-5	9	15	-7	0	0	0	0	45	-9
203	3	-3	3	3	3	3	1	0	9	-2	-780 981	-181 119
204	3	-3	11	3	3	-5	96	0	5	1280	1280	
205	3	-2	-13	-2	32	-6	3251	-1	-23 529	52 396	2568 030 221	594 748 519
206	3	-2	-5	-2	8	10	-20 173	-1681	6724	5043	268 960	268 960
207	3	-2	-5	4	20	-8	181 548	0	6724	-45 387	24 152 519	-2888 299
208	3	-2	-5	10	8	-2	0	0	64	27	2420 640	2420 640
209	3	-2	3	-2	8	2	-1728	0	0	0	179 179	179 179
210	3	-2	3	4	-4	8	0	0	0	23 040	23 040	-13
211	3	-2	11	4	-4	0	27	0	601	27	69 483 339	26 415 999
212	4	-4	-24	1	58	-23	-215 168	0	-215 168	-3362	8606 720	8606 720
213	4	-4	-16	1	34	-7	831	0	0	-30 921	-656 074 631	-132 296 249
214	4	-4	-8	1	10	9	90 774	0	3362	45 387	1210 320	1210 320
215	4	-4	-8	1	34	-15	-256	0	0	4	2331 263	542 717
216	4	-4	-8	7	22	-9	1	0	47	-4	40 240	40 240
217	4	-4	0	1	10	1	189	0	282	-4	23 49 263	543 757
218	4	-4	0	7	-2	7	15 129	-1681	1681	-11 639	59 919 321	16 940
219	4	-4	8	1	10	-7	0	0	601	-15 129	100 860	100 860
220	4	-4	8	7	-2	-1	53 792	0	0	-54	51 683 161	15 523 119
221	4	-3	-8	-4	15	8	6481	0	19 571	6481	5095 956 421	11 70 736 879
222	4	-3	-8	2	27	-10	-7746 048	0	860 672	121 032	103 280 640	103 280 640
223	4	-3	-8	8	15	-4	30 258	-1681	3362	-3893	84 619 891	20 937 639
224	4	-3	0	2	3	6	0	0	0	15 129	403 440	403 440
225	4	-3	0	2	3	6	0	0	0	0	0	0
226	4	-3	8	2	3	-2	1	0	3	-8	781 381	-181 039
227	5	-5	-19	-1	41	-9	79	0	8	-9	960	960
228	5	-5	-11	-1	17	7	-2201	-1681	-19 809	81	70 989	1626 871
229	5	-5	-11	5	29	-11	512	0	512	8	20 480	20 480
230	5	-5	-3	-1	17	-1	10 086	0	3362	5043	1723 128 661	398 911 199
231	5	-5	-3	5	5	5	0	0	85	-6	7040 349	1654 351
232	5	-5	-3	17	5	-7	32	0	32	128	445 360 099	99 914 311
233	5	-5	5	5	5	-3	-726 192	0	-26 896	45 387	9682 560	9682 560
234	5	-4	-11	0	34	-12	0	0	0	0	111	-19
235	5	-4	-11	6	22	-6	27	0	601	27	31 963 419	22 785 039
236	5	-4	-3	0	10	4	-107 584	0	-107 584	1681	4303 360	4303 360
237	5	-4	-3	6	-2	10	1	0	64	3	78 741	78 741
238	5	-4	-3	14	3	-6	192	-1	729	-432	2560	2560
239	5	-4	-3	8	2	3	6724	-1681	6724	-1681	31 144 743	6779 997
240	5	-4	-3	2	3	-2	17	0	17	-4	183 489	183 489
241	5	-4	-3	2	3	-2	17	0	17	-4	183 489	183 489
242	5	-4	-3	2	3	-2	17	0	17	-4	183 489	183 489
243	5	-4	-3	2	3	-2	17	0	17	-4	183 489	183 489
244	5	-4	-3	2	3	-2	17	0	17	-4	183 489	183 489
245	5	-4	-3	2	3	-2	17	0	17	-4	183 489	183 489
246	5	-4	-3	2	3	-2	17	0	17	-4	183 489	183 489
247	5	-4	-3	2	3	-2	17	0	17	-4	183 489	183 489
248	5	-4	-3	2	3	-2	17	0	17	-4	183 489	183 489
249	5	-4	-3	2	3	-2	17	0	17	-4	183 489	183 489
250	5	-4	-3	2	3	-2	17	0	17	-4	183 489	183 489
251	5	-4	-3	2	3	-2	17	0	17	-4	183 489	183 489
252	5	-4	-3	2	3	-2	17	0	17	-4	183 489	183 489
253	5	-4	-3	2	3	-2	17	0	17	-4	183 489	183 489
254	5	-4	-3	2	3	-2	17	0	17	-4	183 489	183 489
255	5	-4	-3	2	3	-2	17	0	17	-4	183 489	183 489
256	5	-4	-3	2	3	-2	17	0	17	-4	183 489	183 489
257	5	-4	-3	2	3	-2	17	0	17	-4	183 489	183 489
258	5	-4	-3	2	3	-2	17	0	17	-4	183 489	183 489
259	5	-4	-3	2	3	-2	17	0	17	-4	183 489	183 489
260	5	-4	-3	2	3	-2	17	0	17	-4	183 489	183 489
261	5	-4	-3	2	3	-2	17	0	17	-4	183 489	183 489
262	5	-4	-3	2	3	-2	17	0	17	-4	183 489	183 489
263	5	-4	-3	2	3	-2	17	0	17	-4	183 489	183 489
264	5	-4	-3	2	3	-2	17	0	17	-4	183 489	183 489
265	5	-4	-3	2	3	-2	17	0	17	-4	183 489	183 489
266	5	-4	-3	2	3	-2	17	0	17	-4	183 489	183 489
267	5	-4	-3	2	3	-2	17	0	17	-4	183 489	183 489
268	5	-4	-3	2	3	-2	17	0	17	-4	183 489	183 489
269	5	-4	-3	2	3	-2	17	0	17	-4	183 489	183 489
270	5	-4	-3	2	3	-2	17	0	17	-4	183 489	183 489

271	8	-7	-4	0	19	-4	<u>-747</u>	0	<u>-20169</u>	11951	<u>1751384561</u>	<u>405814579</u>
272	8	-7	-4	6	7	2	<u>6724</u>	0	<u>6724</u>	1681	<u>268960</u>	<u>268960</u>
273	8	-7	4	6	7	-6	<u>6724</u>	-1	<u>-33858</u>	-3	<u>7068429</u>	<u>-1824271</u>
274	9	-9	-15	9	33	-15	<u>-1681</u>	32	0	80256	<u>2560</u>	<u>2560</u>
275	9	-9	-7	3	21	-5	<u>-1681</u>	1681	0	<u>672401</u>	<u>147147</u>	<u>707218</u>
276	9	-9	-7	9	9	1	<u>15075</u>	0	<u>407281</u>	3362	<u>782741</u>	<u>181039</u>
277	9	-9	1	9	9	-7	<u>215168</u>	0	<u>15075</u>	-3	<u>711213113</u>	<u>80</u>
278	9	-8	-15	-2	26	2	<u>-15075</u>	-1	<u>-407025</u>	-3362	<u>1721344</u>	<u>-163452843</u>
279	9	-8	-15	4	38	-16	<u>15448</u>	1681	<u>13448</u>	1681	<u>7071532281</u>	<u>1639361547</u>
280	9	-8	-7	4	14	0	<u>1452384</u>	0	<u>1255</u>	-24463	<u>9940013827</u>	<u>2317253753</u>
281	9	-8	1	4	14	-8	<u>6724</u>	-1	<u>6724</u>	-43387	<u>19365120</u>	<u>-19365120</u>
282	9	-8	1	10	2	-2	<u>6724</u>	0	<u>6724</u>	-1681	<u>-153153941</u>	<u>-3585969</u>
283	10	-10	-18	7	40	-17	<u>6724</u>	-1	<u>6724</u>	-4	<u>2358983</u>	<u>542197</u>
284	10	-10	-10	1	28	-7	<u>-6897</u>	-1	<u>-180819</u>	107152	<u>15708045751</u>	<u>3641940</u>
285	10	-10	-10	7	16	-1	<u>6724</u>	-1	<u>6724</u>	-1681	<u>268960</u>	<u>268960</u>
286	10	-10	-2	7	16	-9	<u>-483</u>	0	<u>6724</u>	-27	<u>63306981</u>	<u>268960</u>
287	10	-10	-2	13	4	-3	<u>6724</u>	-1	<u>6724</u>	432	<u>93058599</u>	<u>31295659</u>
288	10	-9	-18	2	45	-18	<u>6724</u>	0	<u>6724</u>	1681	<u>268960</u>	<u>268960</u>
289	10	-9	-10	2	21	-2	<u>6724</u>	-1	<u>6724</u>	432	<u>3517059241</u>	<u>811491657</u>
290	10	-9	-2	2	21	-10	<u>6724</u>	0	<u>6724</u>	-10032	<u>740048013</u>	<u>-169931927</u>
291	10	-9	-2	8	9	-4	<u>6724</u>	-1	<u>6724</u>	1681	<u>268960</u>	<u>268960</u>
292	11	-11	-21	5	47	-19	<u>6724</u>	0	<u>6724</u>	-4480	<u>3517059241</u>	<u>811491657</u>
293	11	-11	-13	5	23	-3	<u>6724</u>	-1	<u>6724</u>	5043	<u>740048013</u>	<u>-169931927</u>
294	11	-11	-5	5	23	-11	<u>6724</u>	0	<u>6724</u>	-10032	<u>740048013</u>	<u>-169931927</u>
295	11	-11	-5	11	11	-5	<u>6724</u>	-1	<u>6724</u>	1681	<u>268960</u>	<u>268960</u>
296	11	-10	-13	0	28	-4	<u>6724</u>	0	<u>6724</u>	1681	<u>268960</u>	<u>268960</u>
297	11	-10	-5	6	16	-6	<u>6724</u>	-1	<u>6724</u>	-1681	<u>-1900170463</u>	<u>-44248397</u>
298	11	-10	-5	12	4	0	<u>135945</u>	0	<u>128</u>	5120	<u>1345409</u>	<u>16669</u>
299	12	-12	-24	3	54	-21	<u>430336</u>	-1	<u>430336</u>	-31	<u>180</u>	<u>-180619</u>
300	12	-12	-16	3	30	-5	<u>6724</u>	0	<u>6724</u>	180	<u>180</u>	<u>180619</u>
301	12	-12	-8	3	30	-13	<u>6724</u>	-1	<u>6724</u>	-180	<u>131002511</u>	<u>303782229</u>
302	12	-12	-8	9	18	-7	<u>6724</u>	0	<u>6724</u>	1681	<u>268960</u>	<u>268960</u>
303	12	-11	-8	4	23	-8	<u>6724</u>	-1	<u>6724</u>	-180	<u>180</u>	<u>-180619</u>
304	12	-11	-8	10	11	-2	<u>6724</u>	0	<u>6724</u>	1681	<u>268960</u>	<u>268960</u>
305	13	-13	-19	1	37	-7	<u>6724</u>	-1	<u>6724</u>	-1681	<u>-1570639257</u>	<u>-391495335</u>
306	13	-13	-11	7	25	-9	<u>6724</u>	0	<u>6724</u>	1681	<u>268960</u>	<u>268960</u>
307	13	-12	-11	2	30	-10	<u>6724</u>	-1	<u>6724</u>	-1681	<u>268960</u>	<u>268960</u>
308	13	-12	-11	8	18	-4	<u>6724</u>	0	<u>6724</u>	1681	<u>268960</u>	<u>268960</u>
309	13	-12	-3	14	6	-6	<u>6724</u>	-1	<u>6724</u>	-1681	<u>268960</u>	<u>268960</u>
310	14	-14	-14	5	32	-11	<u>6724</u>	0	<u>6724</u>	1681	<u>268960</u>	<u>268960</u>
311	14	-14	-6	17	8	-7	<u>1224153</u>	-1	<u>1224153</u>	-128	<u>40</u>	<u>664994875221</u>
312	14	-13	-14	6	25	-6	<u>1224153</u>	-1	<u>1224153</u>	1224153	<u>287432777639</u>	<u>664994875221</u>
313	14	-13	-6	12	13	-8	<u>1224153</u>	-1	<u>1224153</u>	1224153	<u>287432777639</u>	<u>664994875221</u>
314	15	-15	-17	3	39	-13	<u>1224153</u>	-1	<u>1224153</u>	1224153	<u>287432777639</u>	<u>664994875221</u>
315	15	-15	-9	15	15	-9	<u>1224153</u>	-1	<u>1224153</u>	1224153	<u>287432777639</u>	<u>664994875221</u>
316	15	-14	-17	4	32	-8	<u>1224153</u>	-1	<u>1224153</u>	1224153	<u>287432777639</u>	<u>664994875221</u>
317	5	-14	-9	10	20	-10	<u>1224153</u>	-1	<u>1224153</u>	1224153	<u>287432777639</u>	<u>664994875221</u>
318	16	-16	-12	13	22	-11	<u>1224153</u>	-1	<u>1224153</u>	1224153	<u>287432777639</u>	<u>664994875221</u>
319	16	-15	-20	2	39	-10	<u>1224153</u>	-1	<u>1224153</u>	1224153	<u>287432777639</u>	<u>664994875221</u>
320	16	-15	-12	8	27	-12	<u>1224153</u>	-1	<u>1224153</u>	1224153	<u>287432777639</u>	<u>664994875221</u>
321	17	-17	-15	11	29	-13	<u>1224153</u>	-1	<u>1224153</u>	1224153	<u>287432777639</u>	<u>664994875221</u>
322	17	-16	-15	6	34	-14	<u>1224153</u>	-1	<u>1224153</u>	1224153	<u>287432777639</u>	<u>664994875221</u>
323	18	-18	-18	9	36	-15	<u>1224153</u>	-1	<u>1224153</u>	1224153	<u>287432777639</u>	<u>664994875221</u>
324	18	-17	-18	4	41	-16	<u>1224153</u>	-1	<u>1224153</u>	1224153	<u>287432777639</u>	<u>664994875221</u>
325	19	-19	-21	7	43	-17	<u>1224153</u>	-1	<u>1224153</u>	1224153	<u>287432777639</u>	<u>664994875221</u>
326	20	-20	-24	5	50	-19	<u>1224153</u>	-1	<u>1224153</u>	1224153	<u>287432777639</u>	<u>664994875221</u>

Table 2. The eta quotients and the coefficients $r_3 r_4 r_5 r_6 r_7 r_8$

No	a_1	a_2	a_3	a_4	a_6	a_{12}	r_3	r_4	r_5	r_6	r_7	r_8
							14748 959	-9207 449	2658 959	<i>rac66</i> 848 83375 645	-776	-1795 956
1	-14	15	30	-4	-15	0	14748 959	-9207 449	2658 959		-776	-1795 956
2	-13	13	27	-1	-13	-1	66 886 111	-44 867 921	483 7331	285 574 457	-946	-2084 661
3	-12	12	24	-3	-6	-3	895 1661	192 580	40 244	392 580	-15	-1681
4	-12	13	24	-2	-13	2	4134 377	-2874 223	877 745	18 875 199	-372	-2374 366
5	-11	11	21	1	-11	1	33 629	161 290	60 518 5	46 510	128	-1681
6	-11	12	13	8	-6	-4	151 290	75 645	10 086	28 215	15	-1681
7	-11	12	21	-4	-6	0	336 623	378 138	47 189	-738 016	32	-157 966
8	-10	10	10	11	-4	-5	3508 273	28 215	3362	14 032 143	-81	-1101 371
9	-10	10	18	-1	-4	-1	2483 821	4063 241	78 896	48 348	86	-1681
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306	13	-13	-11	7	25	-9	242 152 277	208 535 697	70 355 381	775 179 929	26 412	135 031 498
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309	13	-12	-3	14	6	-6	67 240	33 620	13 448	33 620	5	1681
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311	14	-14	-6	17	8	-7	1212	26 896	53 792	26 896	2	67 240
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314	15	-15	-17	3	39	-13	656 577	568 502	153 057	2111 334	-242 064	-738 036
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							16 810	8405	3362	8405	1681	1681
							52 865 848 897	45 737 630 607	15 523 356 833	169 937 929 959	2898 506	14 855 738 203
							67 240	33 620	13 448	33 620	5	1681
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							33 620	16 810	67 240	16 810	5	1681

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